Adaptive Disk Scheduling Algorithms for Video Servers *

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Abstract

Soft-real time applications, such as continuous media (CM) systems, have an important property, namely, they allow for graceful adaptation of the application Quality-of-Service (QoS), and therefore are able to have acceptable performance with reduced resource utilization. This can be used by the admission control process to decide if an application can be admitted, even if the resource is congested. In this paper, we present a Soft-QoS framework for Continuous Media servers, which provides a dynamic and adaptive admission control and scheduling algorithm. Using our policy, we could increase the number of simultaneously running clients that could be supported and could ensure a good response ratio and better resource utilization under heavy traffic requirements. The observations and findings from the model are validated with simulation studies.

Keywords: Admission Control and Scheduling, Quality of Service, Video Server, Continuous Media

1 Introduction

1.1 Motivation

The goal of conventional disk scheduling policies is to reduce the cost of seek operations and to Won-Ho Lee

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achieve a high throughput, while providing fair access to every process that seeks its services. In contrast, the goal of disk scheduling for continuous media (CM) is to meet the deadlines of the periodic I/O requests generated by the stream manager to meet rate requirements. An additional goal is to minimize buffer requirements. In order to ensure continuous and stringent realtime constraints of video delivery in CM servers [4, 13], several factors such as disk bandwidth, buffer capacity, network bandwidth, etc., should be considered carefully and should be handled efficiently. The reservations of these resource factors are required for supporting an acceptable level of display quality and for providing on-time delivery constraints. In particular, disk bandwidth constraint may be the most important factor, given that the I/O bandwidth reserved for each stream on disk depends on latency overhead time, transfer time, defined cycle length, and contention of multiple streams. Hence, we should be able to guarantee that the request of each stream can be fairly supported with good disk utilization and server cost-performance. A video stream being viewed requires timely deliverv of data, but it is able to tolerate some loss of the data for small amounts of time. Thus, an acceptable method of degrading service quality is simply to reduce the requested resources of CM applications. The idea of achieving higher utilization by introducing *soft-QoS* is not novel in the networking field. There are several references [2, 11] that study soft-QoS provision in

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broadband networks for video traffic and its impact on network utilization. The problem here is dual (i.e., admission control and disk I/O bandwidth management in CM server systems) to that of network call admission control and dynamic bandwidth management.

To handle these issues in CM server systems, we propose a dynamic and adaptive admission control strategy which achieves better performance than the conventional greedy admission control strategies generally used for CM servers. It recognizes that CM (e.g., video) applications can tolerate certain variations on QoS parameters. It develops an algorithm for sharing processing resources at the server to share available resources effectively among contending streams. The proposed algorithm provisions are for *reclamation* (i.e., scheduler-initiated negotiation) to reallocate resources among streams to improve overall the QoS.

1.2 Research Contributions

According to the evaluation of a human's perception on video and audio [20], up to 23% of aggregate video loss and 21% of aggregate audio loss are tolerable. The acceptable values for consecutive loss of both video and audio are approximately 2 Logical Data Units (LDU). Up to about 20% of video and 7% of audio rate variations are tolerable. Henceforth, using this fact, we could *restrict* and steal some resources of running streams, and give them to the other new input requests, based on the logged information and the status of remaining resources given by our admission control algorithm, without causing any perceptible changes for users. It is a reasonable requirement for the CM server to guarantee the given QoS parameters. When the load of CM server is low, it is possible to meet this requirement. But when the number of concurrent CM streams increases in the CM server, it becomes difficult to guarantee all the QoS parameters. Given certain resources, we want to support as many CM streams whose QoS parameters are all acceptable as possible. Furthermore, as more and more clients require CM streams, the QoS of CM server will degrade. It is a good choice to make it degrade gracefully. To guarantee that each client is served with some reasonable quality, admission control is also necessary.

In this paper, we present a dynamic/adaptive admission control strategy for providing a fair scheduling and better performance for video streaming. It efficiently services multiple clients simultaneously and satisfies the real-time requirement for continuous delivery of video streaming at specified bandwidths in distributed environments. This new stream scheduler provides a proficient admission control functionality which can optimize disk utilization with a good response ratio for the requests of clients; in particular, under heavy loaded traffic environments. It still presents similar levels of stream qualities (how well the requested rate is attained in CM servers) compared to the basic greedy admission control algorithm. We will present the comparison of the simulation result on the behavior of conventional greedy admission control mechanisms with that of our admission control and scheduling algorithm.

The rest of this paper is organized as follows. In Section 2, we briefly describe an assumed CM server architecture and the admission control constraints (I/O bandwidth requirement and buffer constraint). The detailed description of our admission control and scheduling algorithm is presented in Section 3. Section 4 gives the quantitative results of experimental evaluations, and describes experimental designs and parameters. Section 5 describes the related work, and finally concluding remarks and on-going work appear in Section 6.

2 Architecture of CM Server

The CM server system is a typical client/server application. It is based on several file systems: for example, the Presto File System (PFS) [10] and the Unix file system (UFS). The core part of the CM server involves the network manager, the QoS manager, I/O managers, and proxy servers. These sub-modules in the CM server are threads running in a single process More details of the architecture of CM server system where the admission decision is made, can be found in [7, 9]. The admission control for input CM streams is managed by the *QoS Manager*, which is composed of the Admission Controller and the QoSHandler. The Admission Controller provides two constraint tests: (1) I/O bandwidth test; and (2) available buffer test. Each request (stream) arrives with some *rate* value (e.g., playing-back rate : i.e., frames per second) and the Admission Controller determines whether to admit it or not. The QoS Handler takes care of data rate handling according to a rate input parameter provided by the client's request. In case the playing time gets delayed due to some kind of system overhead, this module will drop some frames properly so as to keep the data rate.

2.1 Basic Conditions of Admission Control

Every time either (1) a new client's request arrives; (2) a rate control operation (such as *Set_Rate, Pause, Resume, and Fast_Forward*) is received; (3) the playing of a running stream is over; or (4) when the resources in the reserves are not used for some time, the following constraint must be checked for admission control requirement.

$$\left(t_s + \sum_{i=1}^{n+1} \left\lceil \frac{T_{svc} \cdot r_i}{b} \right\rceil \cdot t_r\right) + \sum_{i=1}^{n+1} \frac{T_{svc} \cdot r_i}{R} \le T_{svc} \quad (1)$$

i.e., latency overhead time (= seek time + rotational latency) + transfer time \leq cycle length

where, t_s : seek time (msec); T_{svc} : cycle length (msec); r_i : consumption rate (Byte/msec); b: disk block size (Byte); t_r : rotation time (msec); and R: transfer rate (Byte/msec).

The first element (t_s) explains that the maximum disk seek latency overhead in a cycle. The second component shows the sum of each rotational latency incurred for retrieving each disk block (for each request r_i) in a given cycle length (T_{svc}) . The last component describes the time to transfer r_i during a cycle. Finally, the overall time for disk access time in a given cycle length must be done in the service cycle length (T_{svc}) . Since we only consider the I/O bandwidth constraint in this paper, we do not present the details of the constraint of buffer requirement here.

3 Adaptive Disk Scheduling

Most of the existing admission control approaches are purely greedy strategy in the sense that a new application (video stream) can be accepted only if the server could give the client all the requested resources [1, 18]. These approaches are too conservative and admit too few streams, thereby under-utilizing the server resources. Although probabilistic methods exist to amortize the cost of this failure, this is undesirable in general [12].

We propose an enhanced admission control algorithm (\mathcal{RAC} : Reserve-based Admission Control Algorithm) in that it is capable of readjusting resources according to the amount of remaining resources. The key idea here is to assign a portion of the resources as the reserves, and when the applications start to dip into the reserves, another strategy is invoked. In heavy loaded traffic (when a fairly large number of client requests want services; for example, the total disk bandwidth utilization gets over 70%), if the remaining available resources become smaller than some value (threshold: $T_{reserve}$), we assign only some portion of the requested resources to the new requests according to the **done_ratio** and *available resources*. For the degraded streams to adapt based on the availability of resource, **resource-negotiation** is required. Resource-negotiation (reclamation) occurs under these circumstances: (1) when a running request returns the resources back to the system; (2) when *set_rate* video functions, such as *Fast_Forward*, are received, or (3) after some period elapses without any further resources being used. Table 1 describes the attributes used in the algorithms.

3.1 \mathcal{RAC} Algorithm

The key advantage of the basic greedy strategy is that it is simple. However, due to the other shortcomings of basic greedy admission control

Attributes	Descriptions
1110/10/00/03	Descriptions
s _i	stream i
q_i	initially requested resource of s_i
v _i	currently serviced resource of $s_i := q_i \star d_i$
\mathcal{RS}	set of all the running streams : s.
	$\bigcup_{i=i}^{n}$
	where $\{s_i \mid F_{min,i} \leq a_i \leq 1.0\}$
DS	set of degraded streams : $\mathcal{RS} = \bigcup_i s_i$,
	where $\{s_i \mid d_i = 1.0\}$
^s m in	stream j of which d_j is smallest in \mathcal{DS} :
	$s_{min} = \{s_j \mid \forall_{s_j, s_k \in \mathcal{DS}} d_j \le d_k\}$
m	number of streams in \mathcal{RS}
done_ratio	ratio of serviced resource to requested resource
	for a stream
re maining_ratio	ratio of resource vet serviced
5	to requested resource
	for a stream: $(= 1.0 - done_ratio)$
remaining_rate;	amount of resource which is yet serviced
	in stream i:
	$(=q_{i}-v_{i})$
sum_rem_ratio	total sum of remaining ratio of
	degraded streams :
	$\sum_{k} e_{k}$, where $s_{k} \in \mathcal{DS}$
MINERACT	$\sum_{k} \kappa^{\prime}, \kappa^{\prime}$
MIN_PRACI	for a stream
MIN RESERVE	minimum amount of reserve which must be
MIN_REDUCTIVE	at least maintained in $\mathcal{DP}A$ mode
d.	done ratio of s:
e.i	remaining ratio of s_i : $(=1.0-d_i)$
e _i Fmin i	remaining_ratio of s_i : $(=1.0 - d_i)$ MIN_FRACT of s_i
$\frac{e_i}{F_{min,i}}$	remaining_ratio of s_i : (= 1.0 - d_i) MIN_FRACT of s_i total available resources initially given
$ \begin{array}{c} a_i \\ \hline e_i \\ \hline F_{m in , i} \\ \hline T_{tot al} \\ \hline \end{array} $	remaining-ratio of s_i : $(=1.0 - d_i)$ MIN_FRACT of s_i total available resources initially given amount of resources assigned to the reserve
$\begin{array}{c} \mathbf{s}_{i} \\ \mathbf{e}_{i} \\ \mathbf{F}_{min,i} \\ \mathbf{T}_{total} \\ \mathbf{T}_{reserve} \\ \mathbf{T}_{formula} \\ \mathbf{T}_{reserve} \end{array}$	remaining-ratio of s_i : $(=1.0 - d_i)$ MIN_FRACT of s_i total available resources initially given amount of resources assigned to the reserve available resources in Reserve
$\begin{array}{c} e_i \\ F_{min,i} \\ T_{total} \\ T_{reserve} \\ T_{free_res} \\ T_{free_res} \\ \end{array}$	remaining_ratio of s_i : $(=1.0 - d_i)$ MIN_FRACT of s_i total available resources initially given amount of resources assigned to the reserve available resources in Reserve available resources outside Reserve
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$ \begin{array}{c} e_i \\ e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{toeserve} \\ \hline T_{free_non_res} \\ \hline T_{free_non_res} \\ \hline T_{avail} \\ \hline T_{used} \\ \hline \Psi(T_{free_res}) \\ \hline \Phi(T_{free_res}) \\ \hline \end{array} $	$\begin{array}{c} \text{remaining}_{ratio} \text{ of } s_i: (=1.0-d_i) \\ \hline \text{MN_FRACT of } s_i \\ \hline \text{total available resources initially given} \\ \hline \text{amount of resources assigned to the reserve} \\ \hline \text{available resources on the requesting stream} \\ \hline \text{available resources to the requesting stream} \\ \hline \text{available resources to the requesting stream} \\ \hline \text{available resources to assign:} \\ (=T_{total} - T_{used}) \\ \hline \text{total resources currently used} : \sum_i v_i, \\ \hline \text{where } s_i \in \mathcal{RS} \\ \hline \text{heuristic function for reserve assignment in} \\ \hline Admission Test: \\ e.g. \frac{T_{free_res}}{k}, \\ \hline \text{where } k = k_1^{-(T_{used} - T_{reserve}) \cdot k_2} \\ \hline \\ \hline \text{heuristic function for reserve assignment on} \\ \hline Close of streams: \\ e.g. \frac{T_{free_res}}{k}, \\ \hline \text{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ \hline \text{bit flag to indicate congested state} : \\ \hline 1 & \text{if } T_{used} > T_{total} - T_{reserve} \\ \hline \end{array}$
$ \begin{array}{c} \sigma_i \\ e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{reserve} \\ \hline T_{free_res} \\ \hline T_{free_non_res} \\ \hline T_{avail} \\ \hline T_{used} \\ \hline \Psi(T_{free_res}) \\ \hline \Phi(T_{free_res}) \\ \hline \end{array} $	$\begin{array}{c} \mbox{remaining-ratio of } s_i: (=1.0-d_i) \\ \mbox{MIN_FRACT of } s_i \\ \mbox{total available resources initially given} \\ \mbox{amount of resources assigned to the reserve} \\ \mbox{available resources in Reserve} \\ \mbox{available resources to the requesting stream} \\ \mbox{available resources to the requesting stream} \\ \mbox{available resources to assign:} \\ \mbox{(} = T_{total} - T_{used}) \\ \mbox{total resources currently used} : \sum_i v_i, \\ \mbox{where } s_i \in \mathcal{RS} \\ \mbox{heuristic function for reserve assignment in} \\ \mbox{Admission Test}: \\ \mbox{e.g.} & \frac{T_{free-res}}{k}, \\ \mbox{where } k = k_1^{(Tused - T_{reserve}) \cdot k_2} \\ \mbox{heuristic function for reserve assignment on} \\ \mbox{Close of streams}: \\ \mbox{e.g.} & \frac{T_{free-res}}{k}, \\ \mbox{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ \mbox{bit flag to indicate congested state}: \\ \mbox{d 1 if } T_{used} > T_{total} - T_{reserve} \\ \mbox{d 0 otherwise} \\ \end{tabular}$
$ \begin{array}{c} \varphi_i \\ e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{reserve} \\ \hline T_{free_nes} \\ \hline T_{free_nes} \\ \hline T_{avail} \\ \hline T_{used} \\ \hline \Psi(T_{free_res}) \\ \hline \Phi(T_{free_res}) \\ \hline \end{array} $	$\begin{array}{c} \text{remaining-ratio of } s_i: (=1.0-d_i) \\ \hline \text{MIN_FRACT of } s_i \\ \text{total available resources initially given} \\ \text{amount of resources assigned to the reserve} \\ \text{available resources outside Reserve} \\ \text{available resources to the requesting stream} \\ \text{available resources to the requesting stream} \\ \text{available resources to assign:} \\ (=T_{total} - T_{used}) \\ \text{total resources currently used } : \sum_i v_i, \\ \text{where } s_i \in \mathcal{RS} \\ \text{heuristic function for reserve assignment in} \\ Admission Test: \\ \text{e.g. } \frac{T_{free-res}}{k}, \\ \text{where } k = k_1^{(Tused - T_{reserve}) \cdot k_2} \\ \text{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ \text{bit flag to indicate congested state :} \\ \left\{ \begin{array}{c} 1 & \text{if } T_{used} > T_{total} - T_{reserve} \\ 0 & \text{otherwise} \\ \text{total system utilization defined by} \end{array} \right.$
$ \begin{array}{c} \sigma_i \\ e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{reserve} \\ \hline T_{free_res} \\ \hline T_{free_res} \\ \hline T_{avail} \\ \hline T_{used} \\ \hline \Psi(T_{free_res}) \\ \hline \Phi(T_{free_res}) \\ \hline \end{array} $	$\begin{array}{c} \mbox{remaining-ratio} of s_i: (=1.0-d_i) \\ \mbox{MIN_FRACT of } s_i \\ \mbox{total available resources initially given} \\ \mbox{amount of resources assigned to the reserve} \\ \mbox{available resources on the requesting stream} \\ \mbox{available resources to the requesting stream} \\ \mbox{available resources to the requesting stream} \\ \mbox{available resources to assign:} \\ \mbox{(=} T_{total} - T_{used}) \\ \mbox{total resources currently used} : \sum_i v_i, \\ \mbox{where } s_i \in \mathcal{RS} \\ \mbox{heuristic function for reserve assignment in} \\ \mbox{Admission Test} : \\ \mbox{e.g.} \frac{T_{free-res}}{T_{res}}, \\ \mbox{where } k = k_1^{(T_{used} - T_{reserve}) \cdot k_2} \\ \mbox{heuristic function for reserve assignment on} \\ \mbox{Close of streams} : \\ \mbox{e.g.} \frac{T_{free-res}}}{T_{free-res}}, \\ \mbox{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ \mbox{bit flag to indicate congested state} : \\ \mbox{f i f } T_{used} > T_{total} - T_{reserve} \\ \mbox{0 otherwise} \\ \mbox{total system utilization defined by} \\ \end{tabular} \\ \end{tabular}$
$ \begin{array}{c} \sigma_i \\ e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{reserve} \\ \hline T_{free_non_res} \\ \hline T_{free_non_res} \\ \hline T_{avail} \\ \hline \\ \hline \\ T_{used} \\ \hline \\ \Psi(T_{free_res}) \\ \hline \\ $	$\begin{array}{c} \text{remaining}_{i} \text{ratio of } s_i : (=1.0-d_i) \\ \hline \text{MN_FRACT of } s_i \\ \hline \text{total available resources initially given} \\ \hline \text{amount of resources assigned to the reserve} \\ \hline \text{available resources in Reserve} \\ \hline \text{available resources to the requesting stream} \\ \hline \text{available resources to the requesting stream} \\ \hline \text{available resources to the requesting stream} \\ \hline \text{available resources to assign:} \\ (=T_{total} - T_{used}) \\ \hline \text{total resources currently used} : \sum_i v_i, \\ \hline \text{where } s_i \in \mathcal{RS} \\ \hline \text{heuristic function for reserve assignment in} \\ \hline Admission Test: \\ \text{e.g. } \frac{T_{free_res}}{k}, \\ \hline \text{where } k = k_1^{-}(T_{used} - T_{reserve}) \cdot k_2 \\ \hline \text{heuristic function for reserve assignment on} \\ \hline Close of streams: \\ \text{e.g. } \frac{T_{free_res}}{k}, \\ \hline \text{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ \hline \text{bit flag to indicate congested state} : \\ \hline 1 & \text{ if } T_{used} > T_{total} - T_{reserve} \\ \hline 0 & \text{ otherwise} \\ \hline \text{total system utilization defined by} \\ \hline \sum_{i=k}^{k} d_k, \\ \hline k_{i} = k = k = k = k = k = k = k = k = k = $
$ \begin{aligned} & \varphi_i \\ & e_i \\ \hline F_{min,i} \\ \hline T_{total} \\ \hline T_{reserve} \\ \hline T_{free_nes} \\ \hline T_{free_nes} \\ \hline T_{avail} \\ \hline T_{used} \\ \hline \Psi(T_{free_res}) \\ \hline & \phi(T_{free_res}) \\ \hline & \varphi(t) \\ \hline \\ \hline & SU(t) \\ \hline \\ \hline & OT(t) \end{aligned} $	$\begin{aligned} & \text{remaining-ratio of } s_i : (=1.0-d_i) \\ & \text{MIN_FRACT of } s_i \\ & \text{total available resources initially given} \\ & \text{amount of resources assigned to the reserve} \\ & \text{available resources outside Reserve} \\ & \text{available resources to the requesting stream} \\ & \text{available resources to the requesting stream} \\ & \text{available resources to assign:} \\ & (=T_{total} - T_{used}) \\ & \text{total resources currently used } : \sum_i v_i, \\ & \text{where } s_i \in \mathcal{RS} \\ & \text{heuristic function for reserve assignment in} \\ & Admission Test : \\ & \text{e.g. } \frac{T_{free_res}}{k}, \\ & \text{where } k = k(T^{used} - T_{reserve}) \cdot k_2 \\ & \text{theuristic function for reserve assignment on} \\ & Close of streams : \\ & \text{e.g. } \frac{T_{free_res}}{k}, \\ & \text{where } k = k_3 \cdot (T_{used} - T_{reserve}) + 1 \\ & \text{bit flag to indicate congested state :} \\ & \left\{ \begin{array}{c} 1 & \text{if } T_{used} > T_{total} - T_{reserve} \\ 0 & \text{otherwise} \\ & \text{total system utilization defined by} \\ & \sum_k d_k, \\ & \text{where } V_k s_k \in \mathcal{RS} \text{ at time t} \\ & \text{total system utilized for d key dW(k)} \\ & for a stream s$

Table 1: Attributes Used in Algorithm

algorithms, we should be able to think of another strategy to allow more streams to run concurrently in the continuous media servers by degrading the requested quality of newly arriving streams and by adapting the returned resources to these streams. Given the average seek time (t_s) , cycle length (T_{svc}) , disk block size (b), rotation time (t_r) , and disk transfer rate (R), the consumption rate of each client request (q_i) is a variable in the I/O bandwidth constraint equation (Eq. 1). We initialize the total available rate (T_{avail}) with $T_{svc}(=T_{total})$, and set $T_{reserve}$ (the **threshold** value for criteria to check congested_bit). Initially the congested_bit is 0 (not congested). The resource (here I/O bandwidth) is **congested** if the resource usage (T_{used}) is more than $(T_{svc} - T_{reserve})$. We can set the $T_{reserve}$ amount of resources for admitting more requests at a reduced quality. Here, T_{usage} + $T_{avail} = T_{svc}$. That is, the congested_bit is set (= 1) only when T_{avail} becomes smaller than $T_{reserve}$; otherwise, the basic I/O bandwidth constraint is just applied (i.e., the new request is admitted without being degraded). Under the congested_bit being set, we restrict the amount of assignment of resources to the new request because there is no sufficient resource remaining any longer). We explain the details in the following:

- 1. On adding the request q_i , if the resource remains uncongested, then admit it with no degradation. $T_{alloc} = q_i$.
- 2. Let the current usage be T_{used} ; then, adding the application q_i will increase the usage to $(T_{new} = T_{used} + q_i)$. If $(T_{new} \ge T_{svc} T_{reserve})$; then, adding q_i will make the resource congested. When the resource gets congested, we have to dip into the resources.

 $T_{free_res} = \max(0, T_{svc} - T_{reserve} - T_{used}).$ This is the unused resource outside the reserves. Let T_{avail} be the amount of resources in the reserves. $T_{free_res} = \min(T_{reserve}, (T_{svc} - T_{used})).$

The new application is allocated, and then

 $T_{alloc} = T_{free_res} + \min((q_i - T_{free_res}), \Psi(T_{free_res})).$

That is, we allocate the resources that are outside the reserves and, in addition, we give a maximum $\Psi(T_{free_res})$ of the resources in the reserves. $\Psi(.)$ is a function of T_{free_res} and returns an appropriate amount of resources according to T_{free_res} . 3. If $\Psi(T_{free_res})$ is too small (in this case, we had better not support the new request because display quality may be too poor), we simply reject the request.

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- 4. If the running stream (s_k) is over, then the resource v_i is reclaimed. We return the resource occupied by the stream and adjust (if required) the resource allocation of streams not being fully serviced. Here the unused resource is allocated to applications such that the least serviced streams could get the returned resource first.
- 5. Negotiation (Reclamation) algorithm: we have implemented two heuristic-based methods $(\mathcal{DRA} \text{ and } \mathcal{RWR})$ and tested their performance.
- 6. Dynamic Reserve Adaptation (\mathcal{DRA}) : this is invoked only if there are applications that need resources and do not have them. On departure of streams, \mathcal{DRA} returns the assigned resources to the leaving streams (q_i) back to the available resource pool and re-calculates the new T_{avail} using the total available resource (i.e. old $T_{avail} + q_i$). Among the requests that are not fully serviced yet, we select a request (s_{min}) from the queue (\mathcal{DS}) , whose *done_ratio* is the smallest first, and assign the proper resource to the request. The maximum $\Phi(T_{free_res})$ -rule applies here.

```
Assign T_{alloc} = \min (\Phi(T_{free\_res}), \text{ remain-}
ing\_rate_{min}) to the selected request (s_{min}).
```

The loop continues until there is no more available resource to assign or T_{alloc} is too small to assign.

7. Reclamation within Returned Reserve (\mathcal{RWR}) : this is a similar method to the Dynamic Reserve Adaptation method, but the difference is that it redistributes the only resources returned from the leaving streams (v_i) . In \mathcal{DRA} , we used T_{avail} (instead of v_i) for reclamation. The T_{alloc} per stream is calculated according to the ratio of remaining_ratio to sum_remaining_ratio.

$$\begin{array}{ccc} {\rm T}_{alloc} & = & {T}_{avail} & \\ (remaining_ratio_k/sum_remaining_ratio) & \end{array} , \label{eq:tau}$$

The key idea here is not to touch the reserves, but to utilize the only returned resource due to the departure of streams. We will validate the better performance of this policy compared to that of \mathcal{DRA} .

8. When the resources in the reserves are not used for a long time, some of it is reclaimed. For every kperiod, if there is no request to the reserve, then we release some amount of the reserve to be reclaimed. This is kind of a *reserve adaptation* method.

We present the algorithm (Reserve-based) Admission Control and Scheduling Algorithm (\mathcal{RAC}) here.

Algorithm 1 \mathcal{RAC} (*T_{reserve}*, event E_i)

```
▷ Reserves-based Admission Control
     \triangleright \quad E_i = \{(START, q_i), (CLOSE, v_i)\}
     switch EVENT of
         case "<u>START</u>" :
           if (! congested) then
                ▷ Admit the application with no degradation
                T_{alloc} \leftarrow q_i;
           T_{used} \leftarrow T_{used} + q_i;
else /* congested */
                \mathbf{if}\left(\varPsi(T_{free\_res}) > MIN\_FRACT\right) \mathbf{then}
                      ▷ Admit at a lower quality
                      T_{alloc} \ \leftarrow \ \min( \ \varPsi(T_{f \, ree\_res}), q_i) \ /^* \ \in \ (0, q_i)
                      */
                      T_{used} \leftarrow T_{used} + T_{alloc};
10
                      degraded = 1;
11
                else
                      \triangleright too small to admit
12
                      Reject s_i;
         case "CLOSE" :
13
           ▷ with parameters of appl_inst_ID
14
           if (degraded)
                \triangleright add back resource v_i to our count
15
                T_{used} = T_{used} - v_i;
           switch MODE of
16
17
             case "\mathcal{DRA}" :
                \triangleright resource v_i + T_{avail} is reclaimed to distribute
                it to the degraded application instances
                T_{avail} \leftarrow T_{total} - T_{used};
18
                while (1) do
19
                      s_{min} \leftarrow \text{Select a request of which } done_ratio
20
                      is the smallest;
                      if (\Phi(T_{free\_res}) > MIN\_RESERVE) then
21
22
                           T_{alloc} = \min (\Phi(T_{free\_res}), remain
                      ing\_rate_{min});
23
                          T_{used} \leftarrow T_{used} - T_{alloc};
24
                end while
             case "\mathcal{RWR}"
25
                \triangleright resource v_i is reclaimed to distribute it to
                the degraded application instances
26
                T_{avail} = v_i;
                sum\_remaining\_ratio = \sum_k remaining\_ratio_k;
27
                for (each degraded application k) do
28
29
                      T_{alloc}
                                                             T_{avail}
                      (remaining\_ratio_k / sum\_remaining\_ratio);
30
                      T_{used} \leftarrow T_{used} - T_{alloc};
31
                end for
           end switch
32
33
     end switch
```

Experimental Evaluation 4

We performed extensive simulation to validate our admission control and scheduling algorithm. In this section, we present the performance results obtained from simulations under the various load conditions. For results presented in this section, we simulated an environment: i.e., a Sun Ultra Sparcstation with a Seagate Barracuda 4GB disk (ST34371N). The details of the simulation parameters can be found in [8].

4.1 Experiment Design

We simulate the situation where the applications with soft-QoS requirements arrive at the system in an arbitrary order. The applications also come with a play-out rate (which maps into an amount of required resource), depending on the user profile and the data content, which is a value of the data rate parameters. The applications arrive based on a Poisson process with an average interarrival rate (λ) . The duration of the applications is described using a Gaussian process with the mean (μ_d) and the standard deviation (σ_d) of the distribution. The admission control and scheduling algorithm is tried on each one of the application traffic traces. We measure the following: (1) Accumulated number of admitted streams over time; (2) Total system utilization; (3) Total quality; and (4) Admission ratio. For our simulation, we made various application load traffic sequences and different application load conditions, and chose the following two distributions: *Heavy traffic* is generated by setting $\lambda = 0.333$, $\mu_d = 90$, and $\sigma_d =$ 3.5. Medium traffic is generated by having $\lambda =$ 0.125, $\mu_d = 60$, and $\sigma_d = 3.5$. The values on the x-axis are normalized. Under the heavy traffic, the resource demands arrive more frequently than under the medium traffic.

4.2 Experiment 1: Number of Admitted Streams

The major advantage of the \mathcal{RAC} is its guaranteeing more numbers of streams to be admitted and to run simultaneously with a tolerable degradation of quality. As shown in Figure 1, under traffic loads that demand more than the available resources, the accumulated occurrences of admission decreases (rejection increases), both in the basic method and in our strategy. The heavier the traffic is, the better performance the \mathcal{RAC} algorithm achieves compared to the basic greedy algorithm (as shown in Figure 1(a)). In another point of view, the \mathcal{RWR} algorithm achieves a 200 $\sim 300\%$ increase in the number of streams that can be serviced simultaneously by the server. In case of the \mathcal{DRA} algorithm, it also achieves about a 100% increase. In other words,

our \mathcal{RAC} algorithm (both \mathcal{RWR} and \mathcal{DRA}) noticeably reduces the rejection ratio compared to the basic greedy method.



4.3 Experiment 2: System Utilization and Total Quality

In this section, we mainly focus on visualizing the effect of the \mathcal{RAC} algorithm with respect to total system utilization and display quality. Figure 2 plots the total system utilization that is achieved by the sum of each application's *done_ratio*. It is observed that the total system utilization achieved by \mathcal{RWR} is much higher during most of the period. Hence, the \mathcal{RWR} algorithm is able to utilize the system resources more efficiently than the greedy algorithm.



To investigate the display quality of the \mathcal{RAC} algorithm, we plot another curve. Figure 3 illustrates the total quality which is quantified by dividing the sum of each application's done_ratio

by the number of current running streams. It is observed that the total quality achieved by the \mathcal{RWR} algorithm is almost the same as that achieved by the greedy algorithm. In contrast, the performance of \mathcal{DRA} algorithm in total quality is kind of low most of the time. This arises due to the fact that the \mathcal{DRA} algorithm holds off the reserves for future streams, which arrive soon before some of the current running streams depart. Under medium traffic, though the performance of \mathcal{DRA} gets better, it is still too low.



4.4 Experiment 3: Admission Ratio

Under the heavy load, \mathcal{RWR} achieves the best admission ratio (a 150 $\sim 250\%$ increase), and \mathcal{DRA} achieves the next (about 100% increase). Under the medium load, the increase rates of the two \mathcal{RAC} methods are decreased compared to under the heavy load. Unlike the heavy load, the \mathcal{DRA} method achieves even better performance than \mathcal{RWR} . This is because when the traffic load is not too heavy, \mathcal{DRA} is able to utilize the resources more efficiently by taking off some resources from the reserves. The probability of reserves running out under medium/light loads is smaller than that under the heavy load. However, we can observe that the \mathcal{RAC} (both \mathcal{RWR} and \mathcal{DRA}) strategy noticeably increases the admission ratio compared to the greedy method. Degradation makes the applications use a lower (but fully reasonable due to the properties of CM) amount of resources; therefore, more applications can be supported on the resource.



5 Related Work

Several techniques for the admission controlling of continuous media have been proposed in the literature. Ensuring continuous retrieval of each strand requires that the service time not exceed the minimum of playback durations of the blocks retrieved for each strand during a round, which is a typical greedy admission control strategy [5, 19]. Usually the simple admission control decisions are based on the worst case scenario. The worst case policy is based on the observation that multimedia traffic is characterized by its bursty nature; therefore, if sufficient resources are not available for the worst case scenario, then the applications may fail [16]. Similar admission control based on the worst case analysis of the application stream has been formulated by other researchers [14, 15, 3].

To improve the resource utilization, predictive (observation-based) admission control algorithms for clients have been suggested [17]. It simply uses the average amount of time spent in retrieving a media block instead of the worst-case assumptions Vin et al. [18] described a statistical admission control algorithm in which new clients are admitted for service as long as the statistical estimation of the aggregate data rate requirement, rather than the corresponding peak data rate requirement, can be met by the server, They improve the utilization of server resources by exploiting the variation in the disk access times of media blocks, as well as by exploiting the variation in playback rate requirement by variable rate compression techniques. Statistically they are safe but in the worst case it may cause applications to fail because of resource congestion.

6 Concluding Remarks

We presented an integrated adaptive admission control and scheduling algorithm for CM server systems. We have also presented results of a simulation evaluation of our algorithm and a greedy algorithm with respect to several metrics designed to measure the admission ratio, total quality, and system utilization. It was observed that under heavy traffic, our algorithm achieves much better performance than the greedy algorithm. Using our scheme, we could expect that more streams could be running with an acceptable range of data quality in a given system resource. Our ongoing [6] and future work include extending the QoS metrics considered in our algorithm to multi-dimensional ones (e.g., frame size, buffer requirement, compression quality factor, scalability, network bandwidth, etc.).

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